



Selection of Right Software Reliability Growth Models for Every Software Project

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Abstract: Software reliability is one of the attributes of software quality. Due to the increasing complexity of the software systems, delivering reliable software in a timely manner becomes a challenging task. Software Reliability Growth Models (SRGMs) are used to estimate the reliability of the software systems during testing. Although large number of SRGMs have been proposed, it appears that no single model can be considered to be suitable to describe every software failure data set. The research is still continuing to develop more robust models. However, the success of reliability modeling for a given project depends on selection of appropriate SRGM that will fit the software failure data adequately. This paper presents a brief review of existing SRGMs, model selection methods.

Keywords: Software Reliability Growth Models, Selection Method, Non-Homogeneous Poisson Process, Combinational Model, Soft computing techniques.

1. INTRODUCTION

The reliability of a software system is defined as the probability that the software will not fail during stated period of time. Many SRGMs have been proposed during past three decades and used both by the software industry and researchers. To use these SRGMs, Software practitioners have to estimate the parameters of the SRGM using software failure data during testing. Using these software failure data, SRGMs can estimate future failure occurrence times, total number of initial faults, number of faults remaining at the time of release, the failure intensity, software reliability achieved at any given time during testing and release time determination [1]. A single SRGM could give varying degree of goodness of fit statistic for different software failure data sets because the characteristics of software failure data sets may vary [2]. Hence, it appears that no single model is available to provide accurate result in all situations. On the other hand, researchers have suggested that combining more than one model may improve estimation accuracy than selecting a single model [2]. Estimation accuracy may also vary depending on the different parameter estimation methods and model evaluation criteria [3]. However, the success of software reliability modeling depends on selecting an appropriate SRGM that produces better estimation accuracy in all cases. Hence, this paper presents a review on selection methods to select appropriate SRGM suitable for a given project. The process for selection of appropriate SRGM for a given project comprise four stages: study the data, choose SRGMs that may be suitable for the data and the type

of metrics to be collected, find goodness of fit and accept or reject the chosen SRGM using model selection methods. This paper presents a brief review on already proposed SRGMs with their parameter estimation methods, evaluation criteria and selection methods. We briefly discuss about different model selection methods used in existing SRGMs.

This paper is organized as follows: Section 2 gives a review of existing SRGMs with different parameter estimation techniques. Section 3 presents the review of estimation evaluation criteria. Section 4 presents review on selection of appropriate SRGM for a given project. Summary and conclusions are given in section 5.

2. REVIEW OF EXISTING SRGMS

The traditional software reliability growth models are proposed based on a set of assumptions and distributions [4]. Hudson published the first paper on software reliability in 1967 for Markov Birth-Death process [5]. Later, the early developed models include Jeliski-Moranda Model [6], Littelwood-Verral Model [7], Schneidewind model [8] and Goel-okumoto model [3] etc. More than 300 SRGMs have been proposed in the last three decades. When there are a large number of models, they need to be grouped according to chosen characteristics in order to have a better understanding. Thus, this review presents how the existing software reliability growth models have been classified into different categories. This classification covers simple and flexible SRGMs which are widely used by software practitioners under different conditions.

According to Musa [1], the software reliability models could be classified as shown in Table 1.

Table 1
Musa- Software Reliability Models Classification

<i>Category</i>	<i>Description</i>
Time	Clock time or execution time
Category	Finite failure or Infinite failure
Type	Probability distribution of the number of failures experienced at time t.

Goel [4] classified the software reliability models as shown in Table 2.

Table 2
Goel- Software Reliability Models Classification

<i>Catogory</i>	<i>Description</i>
Time between failure models	Time between two successive failures follows a distribution whose parameters depend on the number of faults remaining in the software during this interval.
Failure or fault count models	Number of failures or faults in specified time interval which follows a stochastic process with a time dependent discrete or continuous failure rate.
Fault seeding models	Seed a set of identified faults in a program which is assumed to have an unidentified set of indigenous faults.
Input domain models	Create a number of test cases from a model distribution as input which is assumed to be representative of the operational usage of the program.

Xie [9] classified the software reliability models based on the failure occurrence process as shown in Table 3.

Table 3
Xie- Software Reliability Models Classification

<i>Category</i>	<i>Description</i>
Markovian models	A stochastic process in which its future action depends on the present state of the process and not on the past. Ex. Jelinski-Moranda(J-M) model [6].
Bayesian models	Bayesian models used knowledge on the previous performance of the system. They are described by two distributions. The failure times which follows one distribution with a certain failure rate and the failure rate follows another one distribution. Ex. Littlewood-Verrall(L-V) model [7].
Non-Homogeneous Poisson Process (NHPP) models	A process that follows Poisson distribution with a time dependent failure rate [4].

Yamada et al.[10] classified NHPP based SRGMs into two categories as shown in Table 4.

Table 4
Yamada et al. - NHPP based Software Reliability Growth Models Classification

<i>Category</i>	<i>Description</i>
Continuous time SRGM	It uses machine execution time/CPU time or calendar time as a unit of fault detection period which varies with time.
Discrete time SRGM	It uses the number of test cases as a unit of fault detection period without considering time and unit of fault detection period is countable.

Subburaj[11] classified NHPP based continuous time SRGM as shown in Table 5.

Table 5
Subburaj- NHPP based Software Reliability Growth Models Classification

<i>Category</i>	<i>Description</i>
Failure based and Fault based SRGMs	Failure based models assume perfect debugging that a failure is caused by one fault. In fault based models, a failure is caused by one or more faults.
Exponential growth and S-shaped growth mean value function	Mean value function either follows exponential growth or S-shaped growth.
Testing Effort models	Since time-based SRGMs assume efforts are constant during entire testing period, it transforms into effort based SRGM using time transform property.
Graphical models	Models which are generalized and flexible to address both exponential and S-shaped mean value function.
Quality metrics producing models	Models estimate the quality of debugging and other measures such as learning index, total number of faults etc. observed in the project that is useful to the software management to improve its assessment.

The parameters on the above models are estimated by either one of the two commonly used statistical parameter estimation methods namely: Maximum Likelihood Estimation(MLE) and Least Square Estimation(LSE).NHPP models are widely used by researchersandthey possess other two important properties called superposition and time transformation [9]. Instead of developing new SRGMs, we can use existing SRGMs effectively by incorporating these two properties. Time transform property develops testing effort based SRGMs as given in table 5.We can develop new combinational SRGMs by summing up two or more SRGMswith their respective mean value functions using superposition property.

2.1. Review of NHPP based combinational SRGMS

While combining the models, the assumptions behind each parameter and model become lost. Hence a non-parametric distribution-free modeling technique may come out [2]. Non-parametric models can produce better estimation accuracy than classical parametric models[12].Combinational SRGM may give accurate parameter estimation than single component model alone [2]. It combines the results of individual component models. It performs well for a few data sets and poor for some other data sets based on the component models.

Almering et al. [13] proposed parametric and non-parametric classification of SRGMs as shown in Table 6.

Table 6
Almering et al. - Parametric and non-parametric classification of SRGMs

<i>Category</i>	<i>Description</i>
Parametric SRGM	Parametric or traditional SRGMs assume a predetermined behavior for parameters during model evolution. The parameters are explicitly defined in the model and have a physical interpretation.
Non-parametric SRGM	Although the non-parametric SRGMs include parameters in their model evolution, they don't have any physical interpretation.

Instead of depending on the result of any single model, Lyu[2] introduced SRGM combination model that combine the results of selected candidate models based on assigned weights. The weights are assigned using equally weighted linear combination, dynamic weighted linear combination, median-oriented combination approaches. Keene et al.[14] proposed an approximation approach for software reliability combinational model and applied for software and hardware failure rate to predict the availability. Popenitiu et al.[15] proposed a linear combination model using supermodel approach and Li et al.[16] suggested a hierarchical mixture approach for software reliability combination model. Subburaj et al.[17, 18] proposed dynamic weighted combination approach for fault-based and failure-based SRGMs respectively. The parameters on these combinational models are estimated using statistical parameter estimation methods like MLE, LSE and Expectation-Maximization [16] algorithm. The results from these combinational models show that, the more component models we combine, the better estimation and prediction.

To improve the parameter estimation accuracy, different methods and algorithms using soft computing techniques have been proposed to estimate the parameters.Karunanidhi et al. [12] introduces Artificial Neural Network (ANN) to software reliability models and proposed feed-forward and Jordon's semi-recurrent connectionist neural networks for software reliability estimation and prediction. Cai et al.[19] and Yogesh et al.[20] proposed feed-forward neural network approaches to estimate and predict software reliability. These authors built ANN using sigmoid activation function and compare the results with existing classical SRGMs. The results from these approaches concludes that parameter estimation using ANN may give better accuracy than statistical parameter estimation methods. However, the results from the above ANN approaches show that the estimation accuracy using ANN for SRGMs depends on the selection of network architecture by determining the number of neurons is a kind of art.To address this issue, Huang et al.[21], Jung [22], Wang et al.[23], Roy

et al.[24] and Indhurani et al.[25] proposed ANN based combinational model for software reliability estimation using existing classical SRGMs. They have combined more than two SRGMs and implemented feed-forward and recurrent neural network architectures by designing activation functions from selected SRGMs.

Guo et al.[26], Sultan et al.[27] and Pachauri et al.[28] explored the use of fuzzy logic and applied fuzzy set theory to build SRGM. They estimate the parameters using fuzzy modeling and calculated the total software cost. Costa et al.[29] , Huang et al.[30], Kim et al. [31] and Jung et al.[32] proposed genetic algorithm to estimate the parameters of combinational SRGM. Xie et al.[33], Zheng et al.[34] Mohandy et al.[35] and Roy et al.[36] proposed hybrid intelligent system by combining neural network and genetic algorithm to estimate the parameters of combinational SRGM. The other soft computing techniques used to estimate the parameters of combinational SRGM are Ant Colony Optimization(ACO) [37], Particle Swarm Optimization(PSO) [38], Cuckoo Search [39] and Bacterial Foraging Optimization Algorithm(BFOA) [40]. Jin et al.[41] and Subburaj et al.[42] proposed parameter estimation using PSO and ANN respectively with testing effort function and concludes that it is flexible and effective than existing methods. Although the results using soft computing techniques give incrementally better parameter estimation, they also depend on the selected SRGMs [21, 24, 25]. Hence, the selection of appropriate flexible SRGMs will reduce the number of component models in the combinational SRGM and produce accurate results for parameter estimation [25, 42].

3. REVIEW OF EVALUATION CRITERIA METHODS

Some meaningful measures are used by researchers to evaluate the SRGMs in terms of goodness of fit and predictive validity. Table 7 shows different evaluation criteria used by reliability researchers.

Table 7
Evaluation criteria used by reliability researchers

	<i>Bias</i>	<i>Variance</i>	<i>Noise</i>	<i>MSE</i>	<i>SSE</i>	<i>RMSE</i>	<i>R2</i>	<i>RE</i>	<i>AE</i>	<i>MSF</i>
Lyu&Nikora [2]	*		*							
Xie et al. [33]				*						
Li et al. [16]		*								
Huang et al. [21, 30]	*	*		*		*		*	*	
Cai et al. [19]								*		
Roy et al. [24]								*	*	
Subburaj et al. [11, 17, 18, 25, 42]	*	*	*	*	*	*	*	*	*	*
Zheng et al. [34]				*				*	*	
Guo et al. [26]								*		
Jung et al. [22]								*	*	*

4. REVIEW OF SRGM SELECTION METHODS FOR A GIVEN PROJECT

Although many SRGMs are proposed, it appears that there is no clear guide to select appropriate SRGM for a given project. The success of reliability modeling depends on the selection of appropriate SRGMs. Khoshgoffaer et al.[43] suggested to use Akaike Information Criterion (AIC) to select the best SRGM. Stringfellow et al.[44] proposed an empirical selection method for choosing the best SRGM in terms of goodness of fit, stability and predictive validity. Sharma et al.[45] and Liang et al. [46] proposed distance based approach to select optimal

SRGMs.Kharchenko et al. [47] proposed a method to select an SRGM using assumptions matrix by taking software engineering features and testing processes. Rana et al.[48] suggested a method to select appropriate SRGM by predicting the expected shape of on-going project data and also observing the software process. For example, it is observed that Gompertz SRGM is best for either V-model process or agile type software development process and logistic SRGM is best for waterfall software development process. Park et al.[49] proposed a systematic reliability prediction framework using decision trees for dynamic model selection and combination.

Current practice to select best SRGMs is to apply several SRGMs by fitting models and evaluate their respective goodness-of-fit using software failure data and select appropriate model based on comparison criteria such as Mean Squared Error (MSE), Bias, Noise, Variance and Relative Error (RE) etc. But this approach shows that different methods of model selection criteria result in different model being chosen. Hence, software practitioners may end up with conflict in the model evaluation like best MSE and worst bias etc. All these approaches focus on the goodness of fit to the software failure data, and it may cause the under and over-fitting problems in the predictive validity [49]. Thus, it is necessary to develop a selection method that can easily adopt and produce accurate estimation results in all cases.

5. CONCLUSION

Software Reliability Growth Model is essential to assess the growth of reliability during software testing and it is used to estimate future failure occurrence times, number of faults remaining at the time of release etc. This paper reviewsthe various classifications of SRGMs and the selection of appropriate SRGM for a given project. We present a review of existing SRGMs anddifferent parameter estimation methodsusing statistical and soft computing techniques. We also discuss about different evaluation criteria used to measure the fitting error of the model for the chosen data and model selection methods proposed by various reliability researchers.

6. APPENDIX

Table 8. provides some simple and flexible NHPP based continuous time SRGMs.

Table 8
Simple and flexible NHPP based SRGMs

S.No.	Model	Mean value function $\mu(t)$ Equation
1	Goel-okumotto-1979 [3]	$m(t) = a(1 - e^{-bt})$
2	S-shaped by Yamada-1983 [50]	$m(t) a(1 - (1 + bt)e^{-bt})$
3	Ohba Inflection S-Shaped-1984[51]	$m(t) = \frac{a(1 - e^{-bt})}{1 - \beta e^{-bt}}$
4	Kapur- Garg imperfect debugging-1990 [52]	$m(t) = \frac{a}{p}(1 - e^{-bpt})$
5	Logistic Growth by Huang- 2002 [53]	$m(t) = \frac{a}{1 + ce^{bt}}$
6	Musa BET,LPET-1989 [54] Basic Execution Time (BET) Logarithmic Poisson Execution Time (LPET)	$m(t) = \gamma \left(1 - e \left(-\frac{\lambda}{\gamma} t \right) \right)$ $m(t) = \alpha \ln (1 + bt)$

<i>S.No.</i>	<i>Model</i>	<i>Mean value function $\mu(t)$ Equation</i>
7	Yamada - Imperfect Debugging 1 & 2-1992 [55]	$m(t) = \frac{ab}{b + \alpha}(c^{at} - e^{bt})$ $m(t) = a(1 - e^{bt})\left(1 - \frac{\alpha}{b}\right) + \alpha at$
8	P-Z (Pharm and Zuang)-1997[56]	$m(t) = \frac{1}{1 + \beta e^{-bt}}((c + a)(1 - e^{-bt}) - \frac{a}{b - \alpha}(e^{\alpha t} - e^{-bt}))$
9	P-N-Z (Pharm, Nordmann and Zuang)-1999[57]	$m(t) = \frac{a}{1 + \beta e^{-bt}}((1 - e^{-bt})\left(1 - \frac{\alpha}{b}\right) + \alpha at)$
10	Duane - Power law-1964 [58]	$m(t) = at^b$
11	Modified Duane - Littlewood-1984 [59]	$m(t) = a\left(1 - \left(\frac{b}{b+t}\right)^c\right)$
12	Logarithmic law-1993 [60]	$m(t) = a \ln\{bt\}$
13	Log-power-law(mixture of power-law and logarithmic law)-1993 [60]	$m(t) = a (\ln t)^b$
14	Log-power-1993 [60]	$m(t) = a \ln^b(1+t)$
15	Exponential law-1993 [60]	$m(t) = ae^{bt}$
16	Inverse-exponential law-1993 [60]	$m(t) = ae^{-bt}$
17	Combination of logarithmic and log power model-1993 [60]	$m(t) = a \ln^c(1+bt)$
18	Goel generalized-1985 [4]	$m(t) = a(1 - e^{-bt^c})$
19	S-G (Subburaj and Gopal) GE-2006 [61]	$m(t) = N\left(1 - e^{-\left(\frac{t}{\theta}\right)^\beta}\right)$
20	SGK (Subburaj, Gopal and Kapur)-2007 [62]	$m(t) = N\left(1 - e^{-\left(-\left(\frac{t-\gamma}{\theta}\right)^\beta\right)}\right)$
21	Generalized NHPP with sWF ROCOF-2008 [63]	$m(t) = \left(1 - e^{-\left(\frac{ct}{\theta}\right)^\beta}\right)$
22	SGK-2012 [64]	$m(t) = \frac{a}{c}\left(1 - e^{-\left(-\left(\frac{t-\gamma}{\theta}\right)^\beta\right)}\right)$

<i>S.No.</i>	<i>Model</i>	<i>Mean value function $\mu(t)$ Equation</i>
23	Yamada et al. (Exponential and Rayleigh Testing efforts)-1986 [65]	$m(t) = a(1 - e^{-b\alpha 1(1 - e^{\beta 1^r})})$ $m(t) = a(1 - e^{-b\alpha 1(1 - e^{-\frac{\beta 1^2}{2^r}})})$
24	Yamada et al. (Weibull Testing effort)-1993 [66]	$m(t) = a(1 - e^{-b\alpha 1(1 - e^{\beta 1^r})})$
25	Huang et al. (Logistic Testing effort)-2002 [53]	$m(t) = a \left(1 - e^{-b \left(\frac{\alpha 1}{1 + \gamma 1 e^{-\beta 1^r}} \right)} \right)$

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